Robust Key Exchange Protocol between Set-Top Box and Smart Card in DTV Broadcasting

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Abstract. Secure communication between set-top boxes (STBs) and smart cards is directly related to the benefit of the service providers and the legal rights of users, while key exchange is the essential part of a secure communication. In 2004, Jiang et al. proposed a key exchange protocol for STBs and smart cards based upon Schnorr’s digital signature protocol and a one-way hash function. This paper, however, demonstrates that Jiang et al.’s protocol is vulnerable to an impersonation attack and does not provide perfect forward secrecy. In addition, in order to isolate such problems, we present a new secure key exchange protocol based on a one-way hash function and Diffie–Hellman key exchange algorithm.

Keywords: cryptography, smart card, key exchange, set-top box, cryptanalysis, DTV broadcasting.

1. Introduction

With the rapid digitization of television broadcasting, conventional television media gradually has synthesized other forms of technology information and communication fields, in order to form a completely new and significant digital television industry. In digital television (DTV) broadcasting, service providers charge subscribing fee by scrambling the program with a conditional access system, as well as controlling the illegal reception of the charged program. A smart card can be used to decrypt the control words (CW) and then transfer to them back to a set-top box (STB), to descramble the scrambled program (Macq et al., 1995; Tu et al., 1999; Jiang et al., 2004b).

Since most DTV broadcasting is unidirectional, there is no authentication between the head-end and the subscriber on line, so the service providers utilize authentication between the STB and smart card so as to protect their benefit. Secure communication
between them is vital to the security of the system, which directly affects the revenues for the service provider. While key exchange (Chen et al., 2007; Tseng, 2007; Sakalauskas et al., 2007; Chen et al., 2008; Tseng et al., 2008) is the essential part of secure communication, without mutual authentication in the communication between the STB and smart card, one smart card can be used in different STBs of the same type, which will cause McCormac Hack and smart card cloning problems (Kanjanarin et al., 2001). McCormac Hack occurs when the data line between the smart card and STB is trapped and directed to another STB that acts as if it has the same smart card inside. Smart card cloning is the duplicating of a legal card to make many illegal cards that can allow the unauthorized reception of program. If a key exchange process is cracked by the attacker, the attacker can extract the key information of smart cards which can be used to duplicate many smart cards or redirect to other STBs. This will allow illegitimate subscribers to receive scrambled program. As determined, media providers suffer lost revenues in the amount of hundreds of millions of dollars each year due to smart cards being cracked (Kogan et al., 2003). Secure key exchange with mutual authentication is an essential part of secure communication, which will greatly improve the security of the system thus reducing the potential for loss.

In 2004, (Jiang et al., 2004a) proposed a key exchange protocol for STBs and smart cards based upon Schnorr’s digital signature protocol (Schnorr, 1990) and a one-way hash function. Jiang et al. claimed that their proposed protocol is not only dynamic, secure and mutually can be authenticated with less computations, but also it can prevent smart cloning and McCormac Hack problems (Kogan et al., 2003). The current paper, however, demonstrates that Jiang et al.’s protocol is vulnerable to an impersonation attack and does not provide perfect forward secrecy (Steiner et al., 1995). Furthermore, in order to resolve such problems, we present a new secure key exchange protocol based on a one-way hash function and the Diffie–Hellman key exchange algorithm (Diffie et al., 1976; Menezes et al., 1997).

The remainder of this paper is organized as follows: Section 2 briefly reviews Jiang et al.’s protocol and then, two security problems are outlined in Section 3. The proposed protocol is presented in Section 4, while Section 5 and 6 discuss the security and the efficiency of the proposed protocol. Section 7 offers a conclusion for the paper.

2. Review of Jiang et al.’s Protocol

This section briefly reviews Jiang et al.’s key exchange protocol with mutual authentication based upon Schnorr’s signature and a one-way hash function, for the secure communication between STBs and smart cards. Some notations used in their protocol and in our proposed protocol are defined as follows.

- $ID_c$: the smart card identity of user;
- $PW$: the secret and possible weak user password;
- $ID_s$: the identity of the STB;
- $x_s$: a secret key of the STB;
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- \( p, q \): 512 bits and 140 bits public primes \( p \) and \( q \), such that \( q|p-1 \) in order to guarantee the security of the system;
- \( g \): a public, primitive element in \( GF(p) \);
- \( x_c, y_c \): the private key and the public key of a smart card, respectively;
- \( a, b \): session-independent random exponents \( \in [1, q-1] \) chosen by the smart card and the STB, respectively;
- \( CW \): a control word;
- \( E(\cdot) \): a symmetrical encryption algorithm for encrypting \( CW \), for example, \( E_k(CW) \) and \( E_k^{-1}(CW) \) means encrypting \( CW \) with key \( k \) and decrypting \( CW \) with key \( k \), respectively;
- \( h(\cdot) \): a secure one-way hash function whose output length is 128 bits;
- \( \oplus \): the bitwise-or exclusion operation.

Jiang et al.’s protocol consists of five phases: Registration, login, mutual authentication, key agreement, and CW transmission. Fig. 1 shows Jiang et al.’s protocol. The protocol works as follows.

2.1. Registration Phase

When a user subscribes to the charge program with his smart card identity \( ID_c \) and password \( PW \) for registration, the subscriber management system (SMS) (Jiang et al., 2004b; Kamperman et al., 2001) will do the following:

1. compute \( R = h(ID_c \oplus x_s) \oplus h(PW) \);
2. choose two public primes \( p \) and \( q \) as in Schnorr’s protocol (Schnorr, 1990);
3. compute \( y_c = g^{-x_s} \mod p \);

**Smart Card**

Input \( ID_c, PW \)

\[ X \leftarrow R \oplus h(PW) \]

Select \( t, r \in \mathbb{Z}_q \)

\[ T \leftarrow g^t \mod p \]

\[ Y \leftarrow h(T, ID_c, ID_s) \]

Check \( X = h(ID_c \oplus x_s) \)

\[ M \leftarrow h(ID_s \oplus r) \]

Select \( e \in [0, 2k) \)

\[ d \leftarrow t + e \cdot x_s \mod q \]

\[ SK \leftarrow h(r, e, ID_c, ID_s) \]

\[ SK \leftarrow h(r, e, ID_c, ID_s) \]

\[ CW_e \leftarrow E_{SK}(CW) \]

\[ CW_e \leftarrow E_{SK}(CW) \]

Common Session key \( SK = h(r, e, ID_c, ID_s) \)

**STB**

\[ Y \leftarrow h(T, ID_c, ID_s) \]

Check \( Y \leftarrow h(g^t y_c, ID_c, ID_s) \)

\[ CW_e \leftarrow E_{SK}(CW) \]

\[ CW_e \leftarrow E_{SK}(CW) \]

Fig. 1. Jiang et al.’s key exchange protocol.
(4) store $R, g, ID_c, ID_s, h(\cdot), E(\cdot)$ as well as the master private key (MPK) (Jiang et al., 2004b; Kamperman et al., 2001) and other account information in the smart card and then issues it to the user.

2.2. Login Phase

When a user wants to receive the subscribed program, he or she must attach his smart card to his STB and input the IDc and PW. The smart card then does the following:

1. generate two random numbers $t$ and $r$ in $Z_q^*$; 
2. compute $T = g^t \mod p$ and $Y = h(T, ID_c, ID_s)$. All of the above work can be pre-computed in the idle time of the last running period;
3. compute $X = R \oplus h(PW)$;
4. send login request message $\{X, Y, r, ID_c\}$ to the STB for login.

2.3. Mutual Authentication Phase

Upon receiving the login request, the STB and the smart card need to do the following steps to realize mutual authentication:

1. First, the STB first checks the validity of IDc. If it is invalid, the STB rejects this request.
2. The STB checks to see whether $X = h(ID_c, x_s)$ is true. If it is true, the STB receives the login request and takes the next step; otherwise, this login request is rejected.
3. The STB chooses a random number $e$, where $0 \leq e \leq 2^k$ and computes $M = h(ID_s, r)$, where the length of $k$ is 72 bits as suggested by Schnorr (Schnorr, 1990).
4. The STB sends $\{M, e\}$ to the smart card for identifying.
5. The smart card computes $M' = h(ID_s, r)$ and checks to see whether $M' = M$ is true, if it is true, the STB’s identity is accepted and the next step is taken, otherwise this communication is denied.
6. The smart card computes $d = t + ex_c \mod q$ and sends it to the STB.
7. The STB checks to see whether $Y = h(g^d y_c, ID_c, ID_s)$ is true. If it is true, the STB accepts the smart card; otherwise the STB rejects the smart card.

2.4. Key Agreement Phase

If mutual authentication is determined to be successful for both STB and smart card, then the following equation is used to compute a common session key $SK = h(r, e, ID_c, ID_s)$, which includes both the random number chosen by the STB and the smart card.

2.5. CW Transmission Phase

After decrypting the CW, the smart card uses the SK to encrypt it as $CW_e = E_{SK}(CW)$ and sends the $CW_e$ back to the STB in order to descramble the program. The STB can decrypt the CW as $CW = E_{SK}^{-1}(CW_e)$. 
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3. Cryptanalysis of Jiang et al.’s Protocol

This section demonstrates that Jiang et al.’s protocol is vulnerable to an impersonation attack and that it does not provide perfect forward secrecy.

3.1. Impersonation Attack

This subsection demonstrates that Jiang et al.’s protocol is vulnerable to an impersonation attack, where an attacker can easily impersonate other legal users (or the STB) in order to obtain a useful information. This happens because an attacker can easily obtain the common session key $SK$ of the user (or the STB) in the mutual authentication phase.

First, suppose that $E$ is an attacker who knows the STB’s $ID_s$. Usually, because the STB’s identity $ID_s$ does not require safety, $E$ can easily get the target STB’s $ID_s$ by various attack methods, such as the stolen-verifier attack (Lin et al., 2003) and server data eavesdropping (Yang et al., 2003). By using the STB’s $ID_s$ in the mutual authentication phase, $E$ can compute the common session key $SK$ between the STB and the smart card as follows.

1. Suppose that $E$ has eavesdropped a valid message $(X, T, Y, r, ID_c, M, e, d)$ from an open network. Then, $C$ can easily compute the common session key $SK = h(r, e, ID_c, ID_s)$ by using the values $r, e, ID_c$ and $ID_s$.
2. In the CW transmission phase, $E$ chooses a modified $CW'$, computes a forged $CW_e = E_SK(CW')$, and sends it to the STB.
3. It is easy to check whether the STB will decrypt the forged message $CW_e$, as $CW' = E^1_{SK}(CW_e)$. As a result, the STB will accept the attacker’s $CW'$, thus making Jiang et al.’s protocol insecure.
4. Furthermore, after intercepting the $CW_e$ from the user in the CW transmission phase, and since $E$ can obtain the CW by decrypting $CW_e$ by using $SK$, as $CW = E^1_{SK}(CW_e)$, $E$ can also impersonate the STB to the user in the CW transmission phase. Therefore, Jiang et al.’s protocol is obviously vulnerable to an impersonation attack.

3.2. Perfect Forward Secrecy Problem

Perfect forward secrecy (Steiner et al., 1995) is a very important security requirement that is needed to evaluate a strong protocol. A protocol with perfect forward secrecy assures that even if one entity’s long-term key (e.g. user password) is compromised, it will never reveal any old fresh session keys which were used before. For example, the well-known Diffie–Hellman key agreement protocol (Diffie et al., 1976) can provide perfect forward secrecy.

In Jiang et al.’s protocol, if the STB’s identity $ID_s$ acts as the STB’s secret key, the above-mentioned impersonation attack cannot succeed because an attacker $E$ cannot know the secure value $ID_s$. Nevertheless, Jiang et al.’s protocol still does not provide perfect forward secrecy because once the identity $ID_s$ of the STB is disclosed, all previous
fresh session keys will also be opened and hence previous communication messages will be learned. In Jiang et al.’s protocol, suppose an attacker $E$ obtains the identity $ID_s$ from the compromised STB and intercepts the transmitted values $(X, T, Y, r, ID_c, M, e, d)$, then $E$ can easily compute the common session key $SK = h(r, e, ID_c, ID_s)$ and the values $r, e, ID_c$ and $ID_s$. Obviously, Jiang et al.’s protocol does not provide perfect forward secrecy.

4. Proposed Key Exchange Protocol

This section proposes an improvement of Jiang et al.’s key exchange protocol. The proposed protocol also consists of five phases: Registration, login, mutual authentication, key agreement, and CW transmission. Fig. 2 shows the proposed protocol. The protocol works as follows.

4.1. Registration Phase

When a user subscribes to the charge program with his smart card identity $ID_c$ and password $PW$ for registration, the SMS will do the following:

1. compute $R = h(ID_c \oplus x_s) \oplus PW$;
2. store $R, g, ID_s, h(\cdot), E(\cdot)$ as well as the MPK and other account information in the smart card and this is issued to the user.

<table>
<thead>
<tr>
<th>Smart Card</th>
<th>STB</th>
</tr>
</thead>
<tbody>
<tr>
<td>Input $ID_c, PW$</td>
<td></td>
</tr>
<tr>
<td>Select $a \in Z_q$</td>
<td></td>
</tr>
<tr>
<td>$A \leftarrow g^a \bmod p$</td>
<td>$A \leftarrow g^a \bmod p$</td>
</tr>
<tr>
<td>$X \leftarrow R \oplus PW$</td>
<td>$X \leftarrow R \oplus PW$</td>
</tr>
<tr>
<td>$Y \leftarrow h(X, A, ID_c, ID_s)$</td>
<td>$ID_c, Y, A$</td>
</tr>
<tr>
<td>Compute $h(ID_c \oplus x_s)$</td>
<td>$h(ID_c \oplus x_s)$</td>
</tr>
<tr>
<td>Check $Y = h(h(ID_c \oplus x_s), T, ID_c, ID_s)$</td>
<td></td>
</tr>
<tr>
<td>Select $b \in Z_q$</td>
<td></td>
</tr>
<tr>
<td>$B \leftarrow g^b \bmod p$</td>
<td>$B \leftarrow g^b \bmod p$</td>
</tr>
<tr>
<td>$K \leftarrow (A)^b \bmod p$</td>
<td>$K \leftarrow (A)^b \bmod p$</td>
</tr>
<tr>
<td>Check $M = h(K, A, ID_c, ID_s)$</td>
<td>$B, M$</td>
</tr>
<tr>
<td>$D \leftarrow h(K, B, ID_c, ID_s)$</td>
<td>$M \leftarrow h(K, A, ID_c, ID_s)$</td>
</tr>
<tr>
<td>$SK \leftarrow h(K, ID_c, ID_s)$</td>
<td>$D \leftarrow h(K, B, ID_c, ID_s)$</td>
</tr>
<tr>
<td>Check $D = h(K, B, ID_c, ID_s)$</td>
<td>$SK \leftarrow h(K, ID_c, ID_s)$</td>
</tr>
<tr>
<td>$CW_e \leftarrow E_{SK}(CW)$</td>
<td></td>
</tr>
<tr>
<td>$CW_e$</td>
<td>$CW \leftarrow E_{SK}^{-1}(CW)$</td>
</tr>
</tbody>
</table>

Common Session key $SK = h(K, ID_c, ID_s)$

Fig. 2. Proposed key exchange protocol
4.2. Login Phase

When a user wants to receive the subscribed program, he or she must attach his smart card to his STB and input his $ID_c$ and $PW$. Then, the smart card then does the following:

1. generate a random number $a$ in $Z_q^*$ and $A = g^a \mod p$ is computed. All of this work can be pre-computed in the idle time of last running period;
2. compute $X = R \oplus h(PW)$ and $Y = h(X, A, ID_c, ID_s)$;
3. send a login request message \{\textit{ID}_c, Y, A\} to the STB in order to login.

4.3. Mutual Authentication Phase

Upon receiving the login request, the STB and the smart card need to do the following steps in order to realize mutual authentication:

1. The STB first checks the validity of $ID_c$. If it is invalid, the STB rejects this request.
2. The STB computes $h(ID_c \oplus x_s)$ and checks to see whether $Y = h(h(ID_c \oplus x_s), A, ID_c, ID_s)$ is true. If it is true, the STB receives the login request and takes the next step; otherwise, this login request is rejected.
3. The STB generates a random number $b$ in $Z_q^*$ and computes $B = g^b \mod p$.
4. The STB computes $K = A^b = g^{ab} \mod p$ and $M = h(K, A, ID_c, ID_s)$. Then, the STB sends \{\textit{B}, \textit{M}\} to the smart card for identifying.
5. The smart card computes $K = B^a = g^{ab} \mod p$ and $M' = h(K, A, ID_c, ID_s)$, and checks to see whether $M' = M$ is true, if it is true, the STB’s identity is accepted and the next step is taken, otherwise this communication is denied.
6. The smart card computes $D = h(K, B, ID_c, ID_s)$ and sends it to the STB.
7. The STB checks to see whether $D = h(K, B, ID_c, ID_s)$ is true. If it is true, the STB accepts the smart card; otherwise the STB rejects the smart card.

4.4. Key Agreement Phase

If mutual authentication is passed successfully for both the STB and the smart card, then the following equation is used to compute a common session key $SK = h(K, ID_c, ID_s)$, which includes both the random number chosen by the STB and the smart card.

4.5. CW Transmission Phase

After decrypting the CW, the smart card uses $SK$ to encrypt it as $CW_e = E_{SK}(CW)$ and sends $CW_e$ back to the STB in order to descramble the program. The STB can decrypt the CW as $CW = E_{SK}^{-1}(CW_e)$. 
5. Security Analysis

This section provides the determining proof of the proposed protocol. First, the security terms (Menezes et al., 1997) needed for the analysis of the proposed protocol are defined as follows.

**DEFINITION 1.** A weak secret key (user’s password $PW$) is the value of low entropy $W(k)$, which can be guessed in polynomial time.

**DEFINITION 2.** A strong secret key (STB’s secret key $x_s$) is the value of high entropy $S(k)$, which cannot be guessed in polynomial time.

**DEFINITION 3.** The discrete logarithm problem (DLP) is as follows. Given a prime $p$, a generator $g$ of $Z_p^*$, and an element $\beta \in Z_p^*$, find the integer $\alpha$, $0 \leq \alpha \leq p - 2$, such that $g^\alpha \equiv \beta \pmod{p}$.

**DEFINITION 4.** The Diffie–Hellman problem (DHP) is the following: Given a prime $p$, a generator $g$ of $Z_p^*$, and an element $g^a \pmod{p}$ and $g^b \pmod{p}$, find $g^{ab} \pmod{p}$.

**DEFINITION 5.** A secure one-way hash function $y = h(x)$ is the following: Given $x$ to compute $y$ is easy and given $y$ to compute $x$ is hard.

1. In the proposed protocol, a session key $SK = h(K, ID_c, ID_s)$ is generated as the output of a one-way hash function, whose input is the concatenation of $K$, $ID_c$, and $ID_s$. $K$ is the only factor known to both entities and without these information, the attacker can’t compute the session key by the eavesdropped message.

2. In the proposed protocol, the STB does not need to store the smart card’s secure information (e.g. user password $PW$), which can prevent an attack on the STB in order to get the password of the smart card.

3. Due to the fact that a one-way hash function is computationally difficult to invert, it is extremely hard for any attacker to derive the STB’s secret key $x_s$ from $h(ID_c \oplus x_s)$. Even if the smart card of the user is picked up by an attacker, it is still difficult for the attacker to derive $x_s$.

4. For each communication, mutual authentication and key exchange are needed to reach a dynamic session key, for which both entities provide key seed information (i.e. $a$ and $b$), which can resist a replay attack and an impersonated attack, as well as to avoid the perfect forward security problem. Moreover, at each time, the session key $SK$ is different, which can increase the difficulty in attacking the encryption algorithm with a known plain-text attack.

5. In the proposed protocol, since the Diffie–Hellman key exchange algorithm is used to generate a session key $g^{ab}$, perfect forward secrecy is ensured because an attacker with a compromised STB secret key $x_s$ is only able to obtain the $g^a$ and $g^b$ from an earlier session. In addition, it is also computationally infeasible to obtain the session key $g^{ab}$ from $g^a$ and $g^b$, as it is a discrete logarithm problem and a
Diffie–Hellman problem, respectively. Therefore, the proposed protocol provides perfect forward secrecy.

6. Regarding smart card cloning and McCormac Hack problems (Kogan et al., 2003), when an attacker uses his cloned smart card to another the STB, since there is no STB’s ID or x in the cloned smart card and the hash function \( h(\cdot) \) in the STB is different than that of the smart card, the mutual authentication phase can not pass.

7. When an attacker redirects one smart card’s communication message to another one, the STB has no informations of the session key \( SK \) without mutual authentication and key exchange, so the STB can’t decrypt the message that was redirected from the other smart card.

8. The user can freely change his smart card’s password from \( PW \) to \( PW' \) just by replacing and storing \( R \) with \( R' \) in the smart card, where \( R' = R \oplus PW \oplus PW' \), which can improve the security of the smart card as well as prevent children from watching the charged program by itself. So, even with smart card, a user who doesn’t know the password still can’t receive the program.

6. Efficiency Analysis

This section analyzes the efficiency of the proposed key exchange protocol. Table 1 gives computational costs of proposed protocol and Jiang et al.’s protocol in the registration, login, mutual authentication, key agreement and \( CW \) transmission phases.

In the registration phase, the proposed protocol does not need the computation costs of modular exponentiation unlike Jiang et al.’s protocol. In the mutual authentication phase, 5 times one-way hash function operations and 3 times modular exponentiation operations are need to resist our proposed impersonation attack and to provide the perfect forward secrecy. As a result, the proposed protocol also has same performance like Jiang et al.’s protocol as shown in Table 1. However, the proposed protocol is more secure than Jiang et al.’s protocol because the proposed protocol resists our proposed impersonation attack and provides the perfect forward secrecy.

7. Conclusions

Recently, Jiang et al. proposed a key exchange protocol for the STB and the smart card based upon Schnorr’s digital signature protocol and a one-way hash function. The current paper, however, demonstrated that Jiang et al.’s protocol is vulnerable to an impersonation attack and does not provide perfect forward secrecy. Thus, we presented a new secure key exchange protocol based on a one-way hash function and the Diffie–Hellman key exchange algorithm in order to isolate such a problem and to provide perfect forward secrecy. As a result, in contrast to Jiang et al.’s protocol, the proposed protocol can securely perform key agreements for secure communication between the STB and smart card in the DTV broadcasting.
Table 1
Comparisons of computational costs on each phase

<table>
<thead>
<tr>
<th></th>
<th>Registration</th>
<th>Login</th>
<th>Mutual authentication</th>
<th>Key agreement</th>
<th>CW Transmission</th>
</tr>
</thead>
<tbody>
<tr>
<td>Jiang et al.'s</td>
<td>$2T(h)$</td>
<td>$2T(h)$</td>
<td>$4T(h)$</td>
<td>$2T(r)$</td>
<td>$2T(s)$</td>
</tr>
<tr>
<td>protocol</td>
<td>$2T(\oplus)$</td>
<td>$1T(\oplus)$</td>
<td>$1T(r)$</td>
<td>$2T(e)$</td>
<td></td>
</tr>
<tr>
<td></td>
<td>$1T(e)$</td>
<td>$2T(r)$</td>
<td>$2T(e)$</td>
<td>$1T(e)$</td>
<td></td>
</tr>
<tr>
<td>Proposed</td>
<td>$1T(h)$</td>
<td>$2T(h)$</td>
<td>$5T(h)$</td>
<td>$2T(h)$</td>
<td>$2T(s)$</td>
</tr>
<tr>
<td>protocol</td>
<td>$2T(\oplus)$</td>
<td>$1T(\oplus)$</td>
<td>$1T(r)$</td>
<td>$3T(e)$</td>
<td></td>
</tr>
<tr>
<td></td>
<td>$1T(r)$</td>
<td>$1T(e)$</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

$T(h)$: computation cost of one-way hash function; $T(\oplus)$: computation cost of exclusive-OR operation; $T(s)$: computation cost of symmetric encryption; $T(r)$: computation cost of random number; $T(e)$: computation cost of modular exponentiation.

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Robastinis apsikeitimo raktai tarp interaktyviosios skaitmeninės televizijos bloko ir intelektualių kortelių protokolas

Eun-Jun YOON, Kee-Young YOO